

AGCATCCTGA GTAATGAGTG GCCTGGGCCG GAGCAGGCGA GGTGGCCGGA GCCGTGTGGA	60
CCAGGAGGAG CGCTTTCCAC AGGGCCTGTG GACGGGGGTG GCTATGAGAT CCTGCCCCGA	120
AGAGCAGTAC TGGGATCCTC TGCTGGGTAC CTGCTATGTC TGCAAAACCA TTTGCAACCA	180
TCAGAGCCAG CGCACCTGTG CAGCCTTCTG CAGGTCACCT AGCTGCCGCA AGGAGCAACG	240
CAAGTTCTAT GACCATCTCC TGAGGGACTG CATCAGCTGT GCCTCCATCT GTGGACAGCA	300
CCCTAAGCAA TGTGCATACT TCTGTGAGAA CAAGCTCAGG AGCCCAGTGA ACCTTCCACC	360
AGAGCTCAGG AGACAGCGGA GTGGAGAAGT TGAACAAT TCAGACAACT CGGGAAGGTA	420
CCAAGGATTG GAGCACAGAG GCTCAGAAGC AAGTCCAGCT CTCCCGGGC TGAAGCTGAG	480
TGCAGATCAG GTGGCCCTGG TCTACAGCAC GCTGGGGCTC TGCCTGTGTG CCGTCTCTG	540
CTGCTTCTG GTGGCGGTGG CCTGCTTCT CAAGAAGAGG GGGGATCCCT GCTCCTGCCA	600
GGCCCGCTCA AGGCCCCGTC AAAGTCCGGC CAAGTCTTCC CAGGATCAAG CGATGGAAGC	660
CGGCAGCCCT GTGAGCACAT CCCCCGAGCC AGTGGAGACC TGCAGCTTCT GCTTCCCTGA	720
GTGCAGGGCG CCCACGCAGG AGAGCGCAGT CACGCCTGGG ACCCCCGACC CCACTTGTGC	780
TGGAAGGTGG GGGTGCCACA CCAGGACCAC AGTCTGCAG CTTGCCCCAC ACATCCCAGA	840
CAGTGGCCTT GGCATTGTGT GTGTGCCTGC CCAGGAGGGG GGCCAGGTG CATAAATGGG	900
GGTCAGGGAG GGAAGGAGG AGGGAGAGAG ATGGAGAGGA GGGGAGAGAG AAAGAGAGGT	960
GGGGAGAGGG GAGAGAGATA TGAGGAGAGA GAGACAGAGG AGGCAGAAAG GGAGAGAAAC	1020
AGAGGAGACA GAGAGGGAGA GAGAGACAGA GGGAGAGAGA GACAGAGGGG AAGAGAGGCA	1080
GAGAGGGAAA GAGGCAGAGA AGGAAAGAGA CAGGCAGAGA AGGAGAGAGG CAGAGAGGGA	1140
GAGAGGCAGA GAGGGAGAGA GGCAGAGAGA CAGAGAGGGA GAGAGGGACA GAGAGAGATA	1200
GAGCAGGAGG TCGGGGCACT CTGAGTCCCA GTTCCAGTG CAGCTGTAGG TCGTCATCAC	1260
CTAACCACAC GTGCAATAAA GTCCTCGTGC CTGCTGCTCA CAGCCCCCGA GAGCCCTCC	1320
TCCTGGAGAA TAAAACCTTT GGCAGCTGCC CTCCTCAA AAAAAAAAAA AAAAAA	1377

FIGURE 1A

Met Ser Gly Leu Gly Arg Ser Arg Arg Gly Gly Arg Ser Arg Val Asp
 1 5 10 15
 Gln Glu Glu Arg Phe Pro Gln Gly Leu Trp Thr Gly Val Ala Met Arg
 20 25 30
 Ser Cys Pro Glu Glu Gln Tyr Trp Asp Pro Leu Leu Gly Thr Cys Met
 35 40 45
 Ser Cys Lys Thr Ile Cys Asn His Gln Ser Gln Arg Thr Cys Ala Ala
 50 55 60
 Phe Cys Arg Ser Leu Ser Cys Arg Lys Glu Gln Gly Lys Phe Tyr Asp
 65 70 75 80
 His Leu Leu Arg Asp Cys Ile Ser Cys Ala Ser Ile Cys Gly Gln His
 85 90 95
 Pro Lys Gln Cys Ala Tyr Phe Cys Glu Asn Lys Leu Arg Ser Pro Val
 100 105 110
 Asn Leu Pro Pro Glu Leu Arg Arg Gln Arg Ser Gly Glu Val Glu Asn
 115 120 125
 Asn Ser Asp Asn Ser Gly Arg Tyr Gln Gly Leu Glu His Arg Gly Ser
 130 135 140
 Glu Ala Ser Pro Ala Leu Pro Gly Leu Lys Leu Ser Ala Asp Gln Val
 145 150 155 160
 Ala Leu Val Tyr Ser Thr Leu Gly Leu Cys Leu Cys Ala Val Leu Cys
 165 170 175
 Cys Phe Leu Val Ala Val Ala Cys Phe Leu Lys Lys Arg Gly Asp Pro
 180 185 190
 Cys Ser Cys Gln Pro Arg Ser Arg Pro Arg Gln Ser Pro Ala Lys Ser
 195 200 205
 Ser Gln Asp His Ala Met Glu Ala Gly Ser Pro Val Ser Thr Ser Pro
 210 215 220
 Glu Pro Val Glu Thr Cys Ser Phe Cys Phe Pro Glu Cys Arg Ala Pro
 225 230 235 240
 Thr Gln Glu Ser Ala Val Thr Pro Gly Thr Pro Asp Pro Thr Cys Ala
 245 250 255
 Gly Arg Trp Gly Cys His Thr Arg Thr Thr Val Leu Gln Pro Cys Pro
 260 265 270
 His Ile Pro Asp Ser Gly Leu Gly Ile Val Cys Val Pro Ala Gln Glu
 275 280 285
 Gly Gly Pro Gly Ala
 290

FIGURE 1B

AGCAAGTTCA GCCTGGTTAA GTCCAAGCTG AATTCCGGTC AAAGTTCAAG
 TAGTGATATG GATGACTCCA CAGAAAGGGA GCAGTCACGC CTTACTTCTT
 GCCTTAAGAA AAGAGAAGAA ATGAAACTGA AGGAGTGTGT TTCCATCCTC
 CCACGGAAGG AAAGCCCCTC TGTCCGATCC TCCAAAGACG GAAAGCTGCT
 GGCTGCAACC TTGCTGCTGG CACTGCTGTC TTGCTGCCCTC ACGGTGGTGT
 CTTTCTACCA GGTGGCCGCC CTGCAAGGGG ACCTGGCCAG CCTCCGGGCA
 GAGCTGCAGG GCCACCACGC GGAGAAGCTG CCAGCAGGAG CAGGAGCCCC
 CAAGGCCGGC CTGGAGGAAG CTCCAGCTGT CACCGCGGGA CTGAAAATCT
 TTGAACCACC AGCTCCAGGA GAAGGCAACT CCAGTCAGAA CAGCAGAAAT
 AAGCGTGCCG TTCAGGGTCC AGAAGAAACA GTCACTCAAG ACTGCTTGCA
 ACTGATTGCA GACAGTGAAA CACCAACTAT ACAAAAAGGA TCTTACACAT
 TTGTTCCATG GCTTCTCAGC TTTAAAAGGG GAAGTGCCCT AGAAGAAAAA
 GAGAATAAAA TATTGGTCAA AGAAACTGGT TACTTTTTTA TATATGGTCA
 GGTTTTATAT ACTGATAAGA CCTACGCCAT GGGACATCTA ATTACAGAGGA
 AGAAGGTCCA TGTCTTTGGG GATGAATTGA GTCTGGTGAC TTTGTTTCGA
 TGTATTCAA ATATGCCTGA AACACTACCC AATAATTCCT GCTATTCAGC
 TGGCATTGCA AACTGGAAG AAGGAGATGA ACTCCAACCT GCAATACCAA
 GAGAAAATGC ACAAATATCA CTGGATGGAG ATGTCACATT TTTTGGTGCA
 TTGAAACTGC TGTGACCTAC TTACACCATG TCTGTAGCTA TTTTCCTCCC
 TTTCTCTGTA CCTCTAAGAA GAAAGAATCT AACTGAAAAT ACCAAAAAAA
 AAAAAAATAA AAAAAGATCT TTAATTAAGC GGCCGCAAGC TTATTCCCTT
 TAGTGAG

FIGURE 2A

Cell 4A 4599360

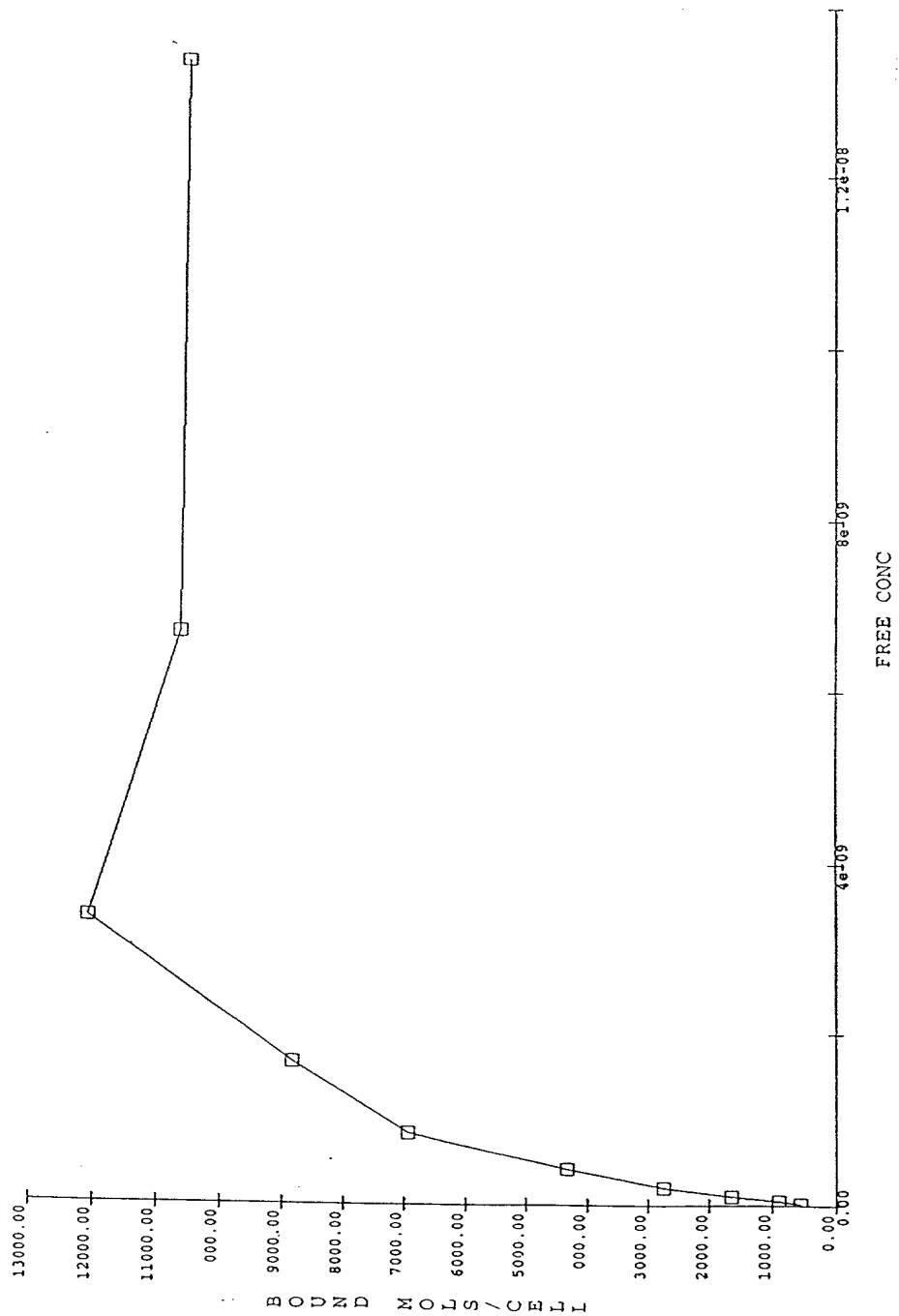


Figure 4A

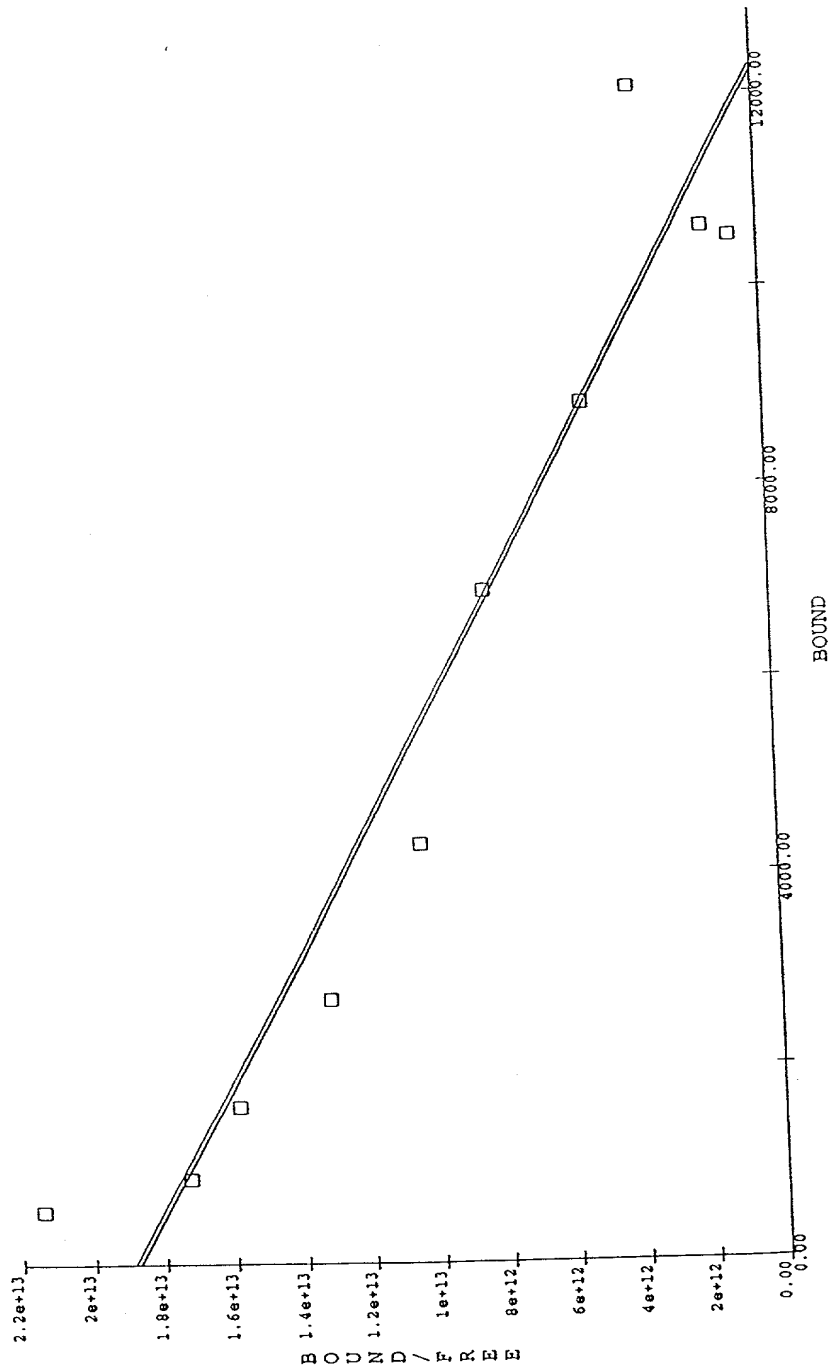


Figure 4B



The graph displays a linear relationship between the 'BOUND' variable on the horizontal axis and the 'BOUND / FREE' ratio on the vertical axis. The horizontal axis is labeled 'BOUND' and has major tick marks at 0.00, 4000.00, 8000.00, 12000.00, and 16000.00. The vertical axis is labeled 'BOUND / FREE' and has major tick marks at 0.00, 2e+12, 4e+12, 6e+12, 8e+12, 1e+13, 1.2e+13, 1.4e+13, 1.6e+13, 1.8e+13, 2e+13, 2.2e+13, 2.4e+13, 2.6e+13, 2.8e+13, 3e+13, 3.2e+13, 3.4e+13, 3.6e+13, 3.8e+13, 4e+13, and 4.2e+13. A solid line starts at the origin (0,0) and extends upwards. Several data points, represented by open squares, are plotted along this line, showing a strong linear correlation.

BOUND	BOUND / FREE
0.00	0.00
1000.00	~1.0e+12
2000.00	~2.0e+12
3000.00	~3.0e+12
4000.00	~4.0e+12
5000.00	~5.0e+12
6000.00	~6.0e+12
7000.00	~7.0e+12
8000.00	~8.0e+12
9000.00	~9.0e+12
10000.00	~1.0e+13
11000.00	~1.1e+13
12000.00	~1.2e+13
13000.00	~1.3e+13
14000.00	~1.4e+13
15000.00	~1.5e+13
16000.00	~1.6e+13

[illegible]

Free Conc (M)

Free Conc (M)	Y-axis Value
0.00	800
2e-09	2800
4e-09	3400
6e-09	3200
8e-09	3000
1e-08	2800
1.2e-08	2600
1.4e-08	2400
1.6e-08	2200
1.8e-08	2000
2e-08	1800
2.2e-08	1600

[illegible]

The graph shows the relationship between the concentration of bound molecules (C_n) and the number of molecules bound per cell (r). The data points are as follows:

r (molecules bound/cell)	C_n
0	0
~1000	1.4×10^{13}
~1300	1.0×10^{12}
~1600	6×10^{11}
~2200	4×10^{11}
~2600	3×10^{11}
~3000	2×10^{11}
~3400	1×10^{11}
~4000	0.5×10^{11}
~4200	0.2×10^{11}

1. The first part of the paper is devoted to the study of the asymptotic behavior of the solutions of the system (1) as $t \rightarrow \infty$. It is shown that the solutions of the system (1) tend to zero as $t \rightarrow \infty$ if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

2. In the second part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

3. In the third part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

4. In the fourth part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

5. In the fifth part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

6. In the sixth part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

7. In the seventh part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

8. In the eighth part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

9. In the ninth part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.

10. In the tenth part of the paper, the problem of the asymptotic stability of the solutions of the system (1) is considered. It is shown that the solutions of the system (1) are asymptotically stable if and only if the matrix A is Hurwitz. This result is proved by the method of the variation of constants.